

## PREDICTION OF FINAL TEMPERATURE

Gary W. Crosby  
Phillips Petroleum Company

### Introduction

The engineering necessity of achieving maximum cooling of the borehole during drilling and logging operations on geothermal wells prohibits the determination of equilibrium temperature in the subsurface before virtual rebound from the drilling disturbance some months after operations cease. Clearly, substantial economic benefits would accrue, in many cases, if a reasonable prediction of equilibrium temperature can be made while the rig is still over the borehole. Certain flow tests are desirable when commercial temperatures are known to be present in the reservoir. The manner in which the well is to be completed depends on its anticipated uses in the future. Before the rig is released a decision must be made as to the drilling of a confirmation well.

Several methods have been worked out to predict equilibrium temperatures; all are based on (1) rebound following the physical law of logarithmic decay, and (2) rebound being by conductive processes. Perhaps the most sophisticated method is one worked out by Albright (1975); unfortunately, the amount of data required to apply the method is not generated in the course of normal drilling operations. Since temperature rebound follows the same logarithmic decay law as does pressure buildup following a reservoir flow test, a Horner plot is suggested as a graphical method of predicting equilibrium temperature, and the Horner plot is a commonly used device. Its mathematical expression in several forms is given as the Lachenbruch-Brewer equations (1959, p. 79) which are applied herein.

The purpose of this brief report is to provide an abbreviated explanation of the physical principles of temperature rebound and provide a convenient plotting method similar to the Horner plot in order to standardize temperature prediction in Geothermal Operations. It has the further purpose of outlining methods to determine an approximate thermal conductivity value for reservoir rocks and rebound times after drilling from the nature of the rebound curve.

During the drilling of geothermal wells the drilling fluids serve the additional purpose of cooling the rocks adjacent to the bore in order to prolong the life of bits and drill string, and to control potential blowouts. The temperature of the fluid changes with cooling variations of the mud on the surface and with depth as the wallrock temperature changes.

Fluids moving in or out of the borehole via fractures transfer heat by nonconductive processes; and, if such fluid movements involve large volumes at or near the depth where equilibrium temperature is to be predicted, the conductive methods treated here are not applicable. If the well tries to produce, however, a relatively short flow test makes possible an approximate determination of reservoir temperature.

#### Line Source Solution

The well bore closely approximates a line source heat sink during drilling operations. All subsequent temperature measurements are made on this line, usually during multiple log runs.

Assuming the rock intersected by the bore is homogeneous, heat (cooling) of strength  $Q$ , applied instantaneously along the axial line at time  $t = t_0$ , produces rebound according to:

$$T_f - T_n = \frac{Q}{4\pi K} \frac{1}{t_n - t_0} \quad t_n > t_0 \quad (1)$$

where  $T_f$  is final equilibrium temperature,  $T_n$  is temperature measured at some time after  $t_0$ , and  $K$  is thermal conductivity. The quantity  $t$  is time since the drill bit first reached the depth in question.

But cooling at a given depth is applied not instantaneously but over a period of time, usually irregularly. Rebound is obtained by

$$T_f - T_n = \frac{Q}{4\pi K} \int_0^s \frac{q(\Delta t)}{t_n - \Delta t} dt \quad t > s \quad (2)$$

where  $q(t)$  is a continuous source in units of heat per unit time per unit depth and  $s$  is the time elapsed since the bit reached the depth in question to the time drilling (circulation) ceased. Ordinarily  $s$ , like  $t$ , is different for each depth.

If  $q(t)$  is a constant, or is averaged and applied during time  $s$ , that is,  $q(t) = \bar{q}s$ , then the solution of the integral is

$$-\Delta T = T_f - T_n = \frac{\bar{q}s}{4\pi K} \ln \frac{t_n}{t_n - s} \quad t > s \quad (3)$$

#### Graphical solution

The last equation forms the basis for the graphical solution of final temperature (Fig. 1); it was solved repeatedly to produce the graph. In practice the  $T_n$ 's,  $T_1, T_2, T_3, \dots$ , are plotted against the log term, to graphically solve for the final temperature,  $T_f$ .

After the first maximum borehole temperature,  $T_1$  is obtained, from the first logging run, a convenient temperature value is chosen and labeled on the bottom line. This value, in general, is a multiple of ten next below  $T_1$ . After this datum value is chosen, the ordinate is labeled at the same scale as the upper part of the graph. Each temperature is plotted against  $\ln t_n/t_n - s$  as it becomes available with each logging run.

The last tool to go into the hole is ordinarily a continuous temperature log. This run provides an opportunity to determine the depth of the maximum temperature, which is not always at T.D. The same maximum reading thermometers, clamped in turn onto the Schlumberger logging line, should be placed onto the wire line of the temperature sonde in order to check the correlation between the two tools. The maximum reading thermometers, usually two or three run simultaneously, should be clamped onto the Agnew and Sweet wire line 30 ft. above the bottom of the tool. This is the approximate average height of the thermometers above the base of the Schlumberger sondes.

After all the temperatures are plotted, the best fit straight line is passed through the points. When the fit is difficult, the last few data obtained should be given more weight. This is because the short term fluctuations of temperature during drilling damp out early and the later measurements better follow the average heat sink temperatures assumed in construction of the graph. The line projected through the plots, and perhaps even some of the control points may plot into the upper part of the graph. This is of no consequence.

The intersection of the line with the  $\ln t_n/t_n - s = 0$  ordinate gives the predicted final temperature,  $T_f$ .

In the event tables or a calculator are not available for calculating the natural logarithms, the ratio  $t/s$ , can be worked out by long-hand and plotted using the logarithmic scale across the top of the graph. Plotting with a logarithmic scale is a little less accurate, however.

The graph is designed for two further operations. With a parallel ruler the best fit line is moved into the upper part of graph to the position at which it passes through the "origin" of the family of guidelines, at the left side of the graph. The interpolated value of the guideline that coincides with the plotted line is then determined. This guideline value is the ratio,  $\bar{q}_s/K$ , in equation (3). If either value of the quotient is known, the other can be determined. This also can be solved graphically with the small graph in the upper right corner.

Knowledge of the term  $\bar{q}_s$  is of no particular intrinsic value, but thermal conductivity,  $K$ , is. No convenient method for determining  $\bar{q}_s$  can be outlined at this time; however, the duration of the disturbance,  $s$ , is known and it is possible that  $\bar{q}$  can be estimated empirically from

flow line temperatures or some other indicator, but further work to demonstrate this is required. When K can be determined, the information will aid in interpreting other temperature data on the prospect and will make possible a calculation of rebound time.

Two dashed lines pass through the larger graph, one labeled  $5^{\circ}$  and the other  $1^{\circ}$ . These lines indicate the times when the well has rebounded to within  $5^{\circ}\text{C}$  and  $1^{\circ}\text{C}$  respectively of the final equilibrium temperature. These specific rebound times can be determined by picking the  $\ln t_n/t_{n-}$  s value where the plotted line intersects the  $5^{\circ}$  or  $1^{\circ}$  line, whichever is of interest, say the  $5^{\circ}$  line. With this  $\ln t_n/t_{n-}$  s value, enter the graph in the lower right corner through the bottom scale and move vertically up to intersection with the appropriate s line, the duration of the temperature disturbance. Moving to the left scale gives the rebound time, t - s, in hours, and moving to the right scale gives t - s in days.

Knowledge of rebound time to temperatures within  $5^{\circ}$  and  $1^{\circ}$  of complete rebound is helpful in planning followup temperature surveys. Without this knowledge more surveys may be run than are necessary, and each cost between \$1000 and \$2000.

#### Example

Roosevelt Hot Springs #9 - 1 data from Utah are tabulated and plotted in figure 2 to illustrate the method. The drilling history indicates that the duration of circulation, s, at a depth of 1518 m., prior to taking temperature measurements, was 15 hours, distributed in drilling, coring and well conditioning. The scatter about the best fit straight line is not large, and probably reflects, in the main, small inaccuracies in time and temperature measurements.

The line projects to  $186.3^{\circ}\text{C}$  at  $\ln t_n/t_{n-}$  s = 0. After the logging runs that produced these temperature readings, Well #9 - 1 was deepened to 2096 m., reaching this T.D. on April 8, 1975. Approximately three months later, on July 14, 1975, a continuous temperature log was run to T.D. This log shows a temperature of  $192.8^{\circ}\text{C}$  at depth 1518 m. Thus, this prediction scheme predicted a final temperature below steady state equilibrium temperature by a minimum of  $6.5^{\circ}\text{C}$ .

Moving the best fit line into the upper part of the diagram, using parallel rulers, to the position at which it passes through the "origin" of the family of curves, the interpolated value for  $\bar{q}_s/K$  is 508. Making use of the diagram in the upper right corner, the quantity  $\bar{q}_s$  is 508 when  $K = 1$ , 254 when  $K = 2$ , 169 when  $K = 3$ , and so on. The units of  $\bar{q}$  are calories per unit depth per second

times  $3.6 \times 10^3$ . Flow line temperature during drilling and coring at this depth averaged  $50^\circ\text{C}$ , but they are unknown during circulation to condition the hole. A core was obtained a few feet below the point of temperature measurements; namely, in the interval 1524-1525.5m. Thermal conductivity measurements on recovered granodiorite produced a K value of 4.77. In this case, where K and s are known,  $\bar{q}$  is restrained at 107. When enough data of these types are available, it may be possible to determine a reasonable value for thermal conductivity by estimating  $\bar{q}$  through flow line temperatures.

It is important to know how far from complete rebound the well was on July 14, 97 days after circulation ceased, when the last temperatures were measured. The best answer can only be an approximation in this case because the well was deepened after the temperature measurements were made, and thus s changed. Using the data available to complete the example, however, the best fit line, with  $\bar{q}_s/K = 508$ , intersects the  $5^\circ$  and  $1^\circ$  dashed lines at  $\ln t_n/t_{n_0} - s = .13$ , and = .03, respectively. Entering the graph in the lower right corner with these values the well was within  $5^\circ\text{C}$  of final temperature in about 5 days, and within  $1^\circ$  in about 22 days. Thus, the temperature on the run of July 14 was probably less than  $1^\circ\text{C}$  from equilibrium.

#### References Cited

- Albright, J. N., 1975, A new and more accurate method for the direct measurement of earth temperature gradients in deep boreholes: Proc., Second U. N. Symposium on Development and Use of Geothermal Resources, San Francisco, p. 847 - 851.
- Lachenbruch, A. H. and Brewer, M. C., 1959, Dissipation of the temperature effect of drilling a well in Arctic Alaska: U. S. Geological Survey Bull. 1083 - C, p. 73 - 109.

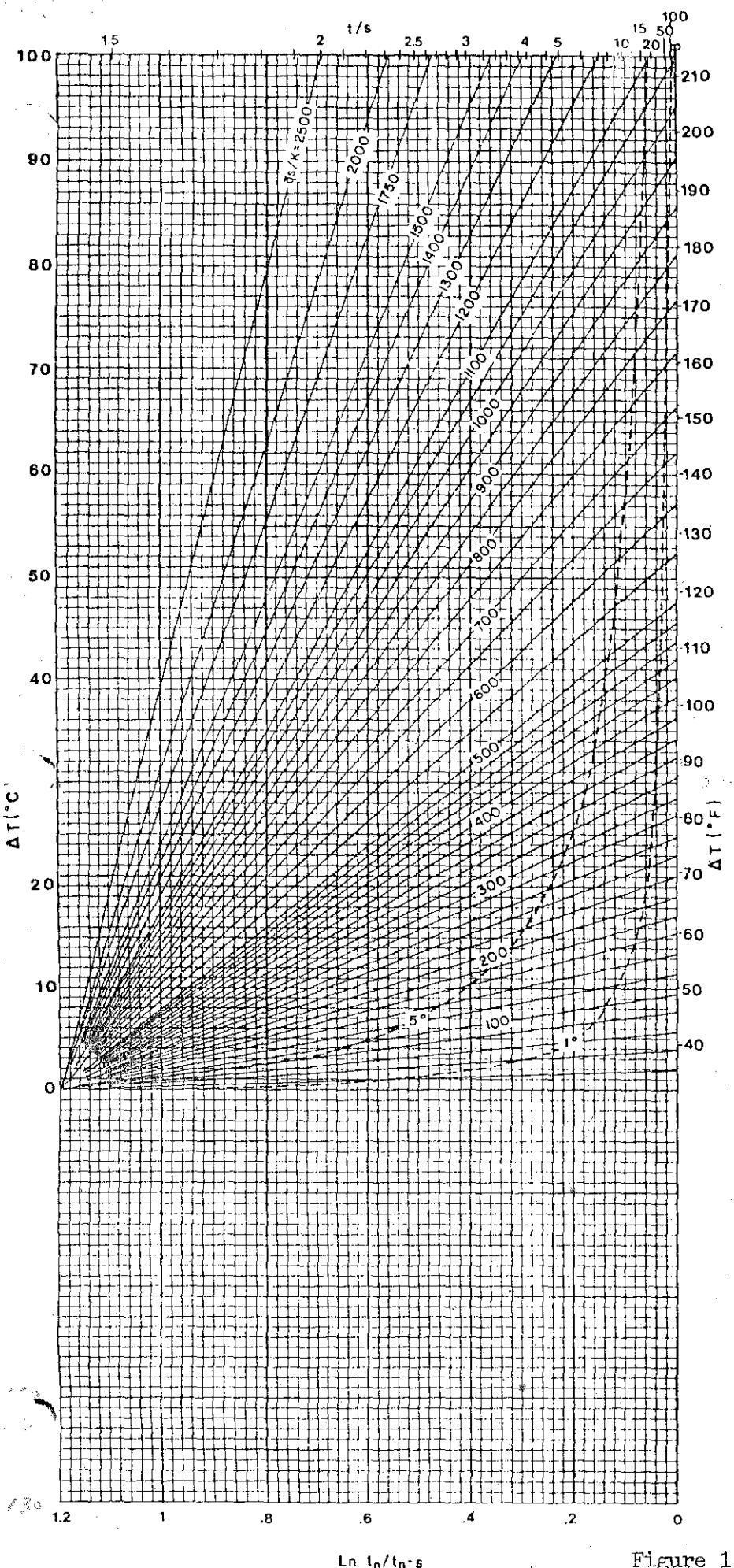
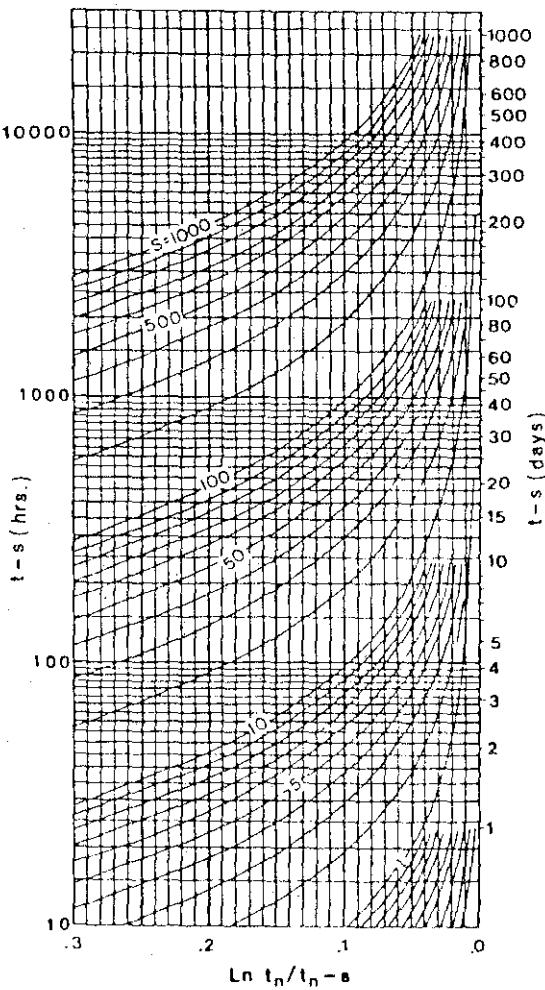
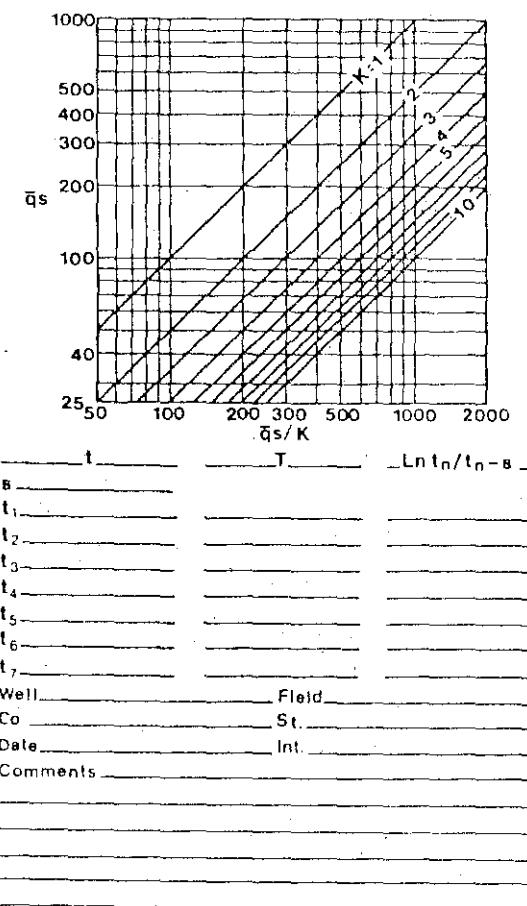


Figure 1



163 - 197 2½ hrs.

0 - ① 266 min  
16 min. stop.

6 min. stop.

3 1/4 miles (chart started)

on bottom

new 558 miles 5874'

10/6/78

5.73 3 1/4 - 162.91 72.73 K = 8.6 - 9.4

5.73 3 4 4 - 174.31 79.06

6.23 3 7 4 - 182.44 83.58

6.73 4 0 4 - 188.99 86.7

152 - 161

7.23 4 3 4 - 194.36 90.03

160 out

7.34 5 8 - 197.77 92.09

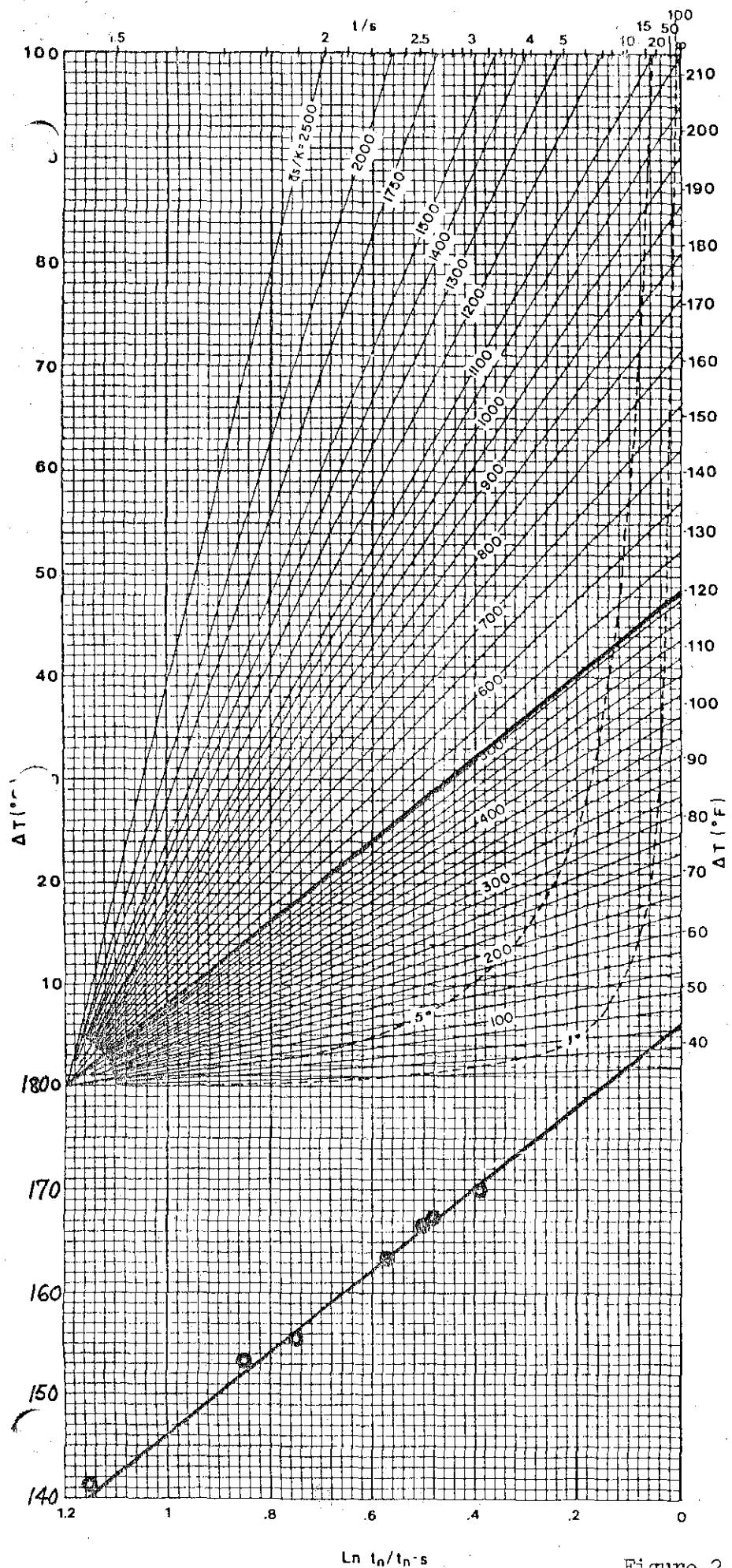
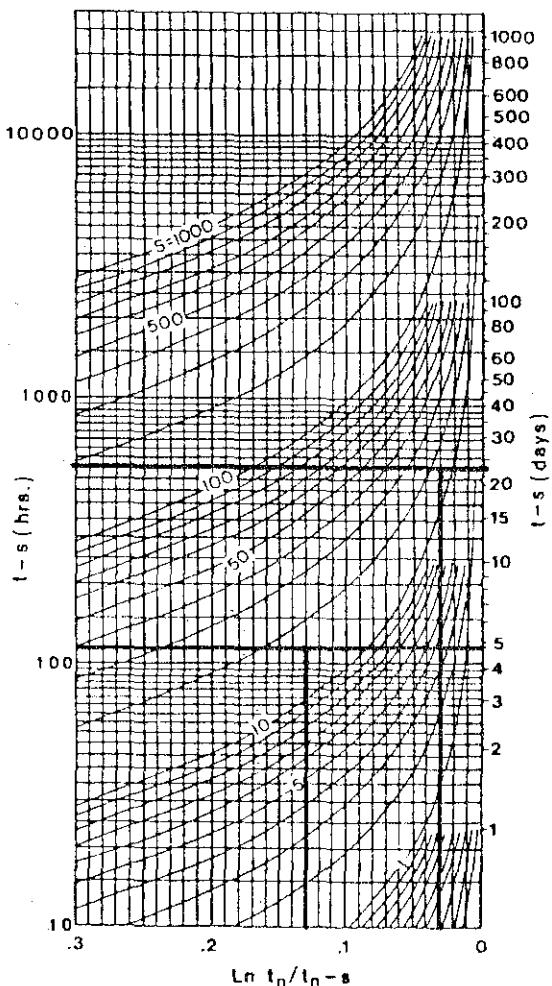
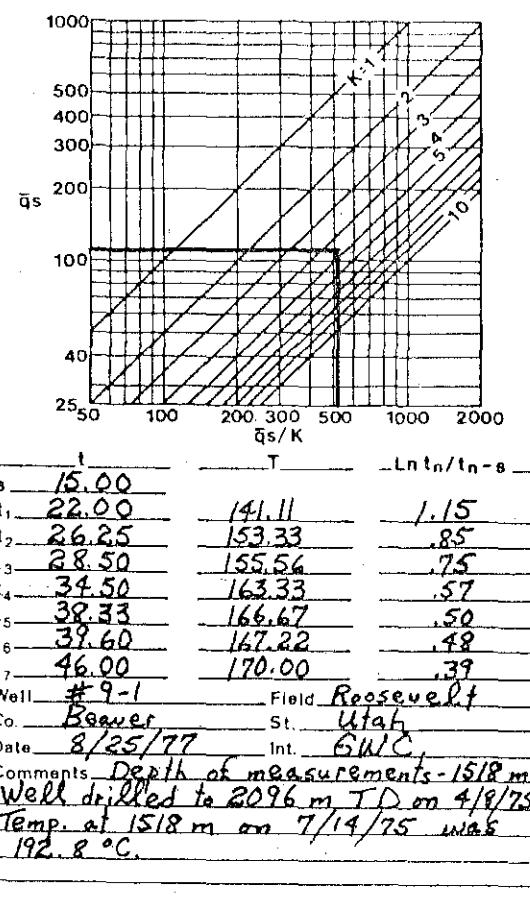


Figure 2



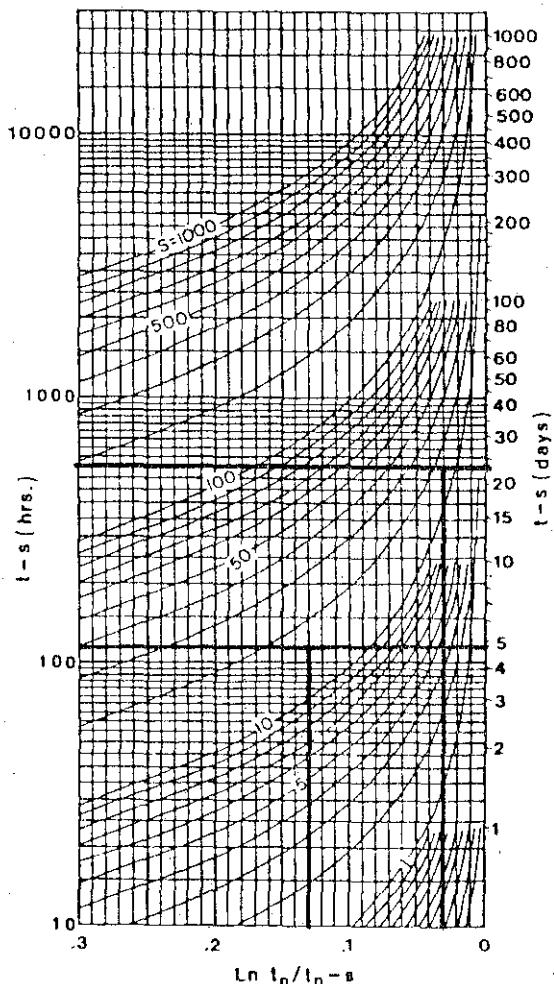
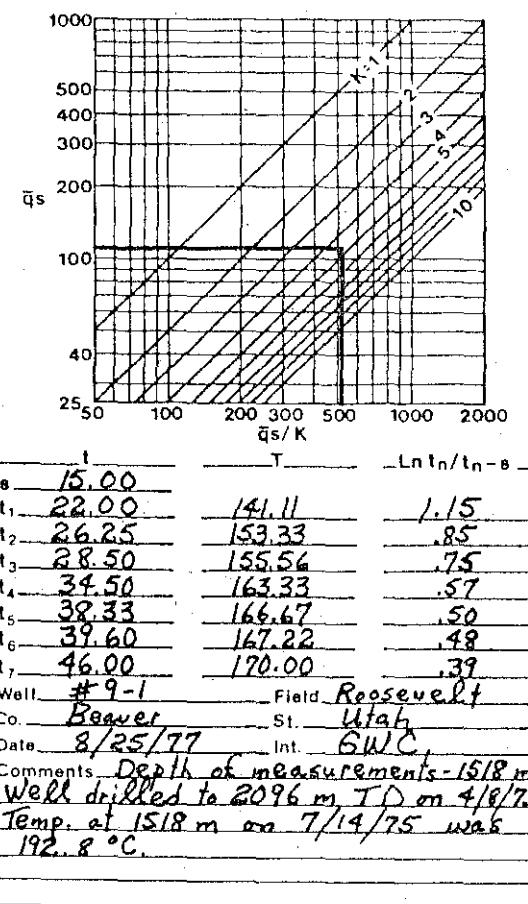
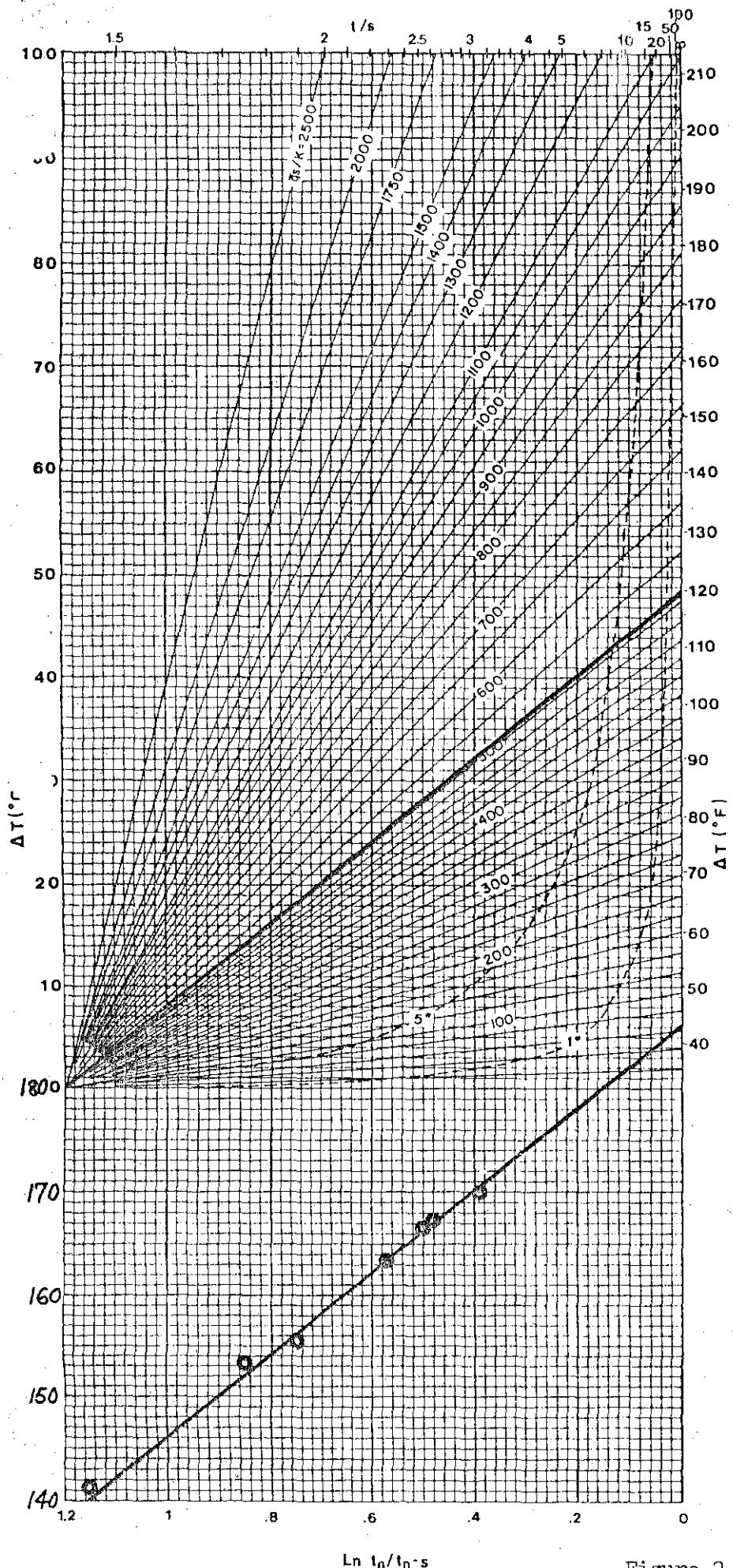


Figure 2

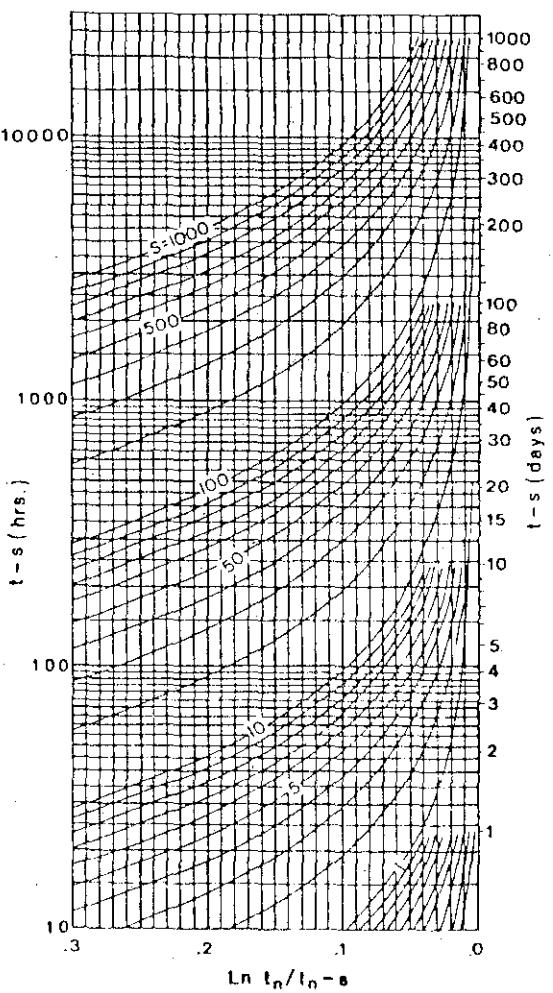
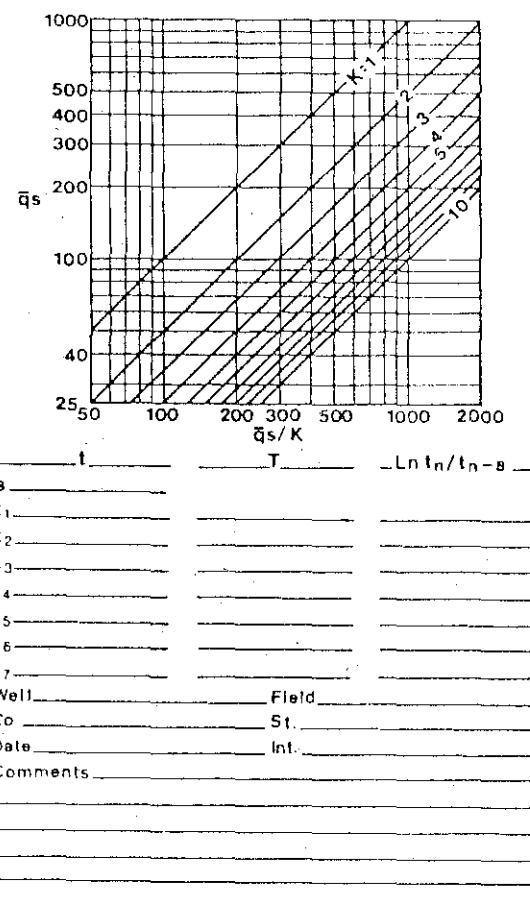
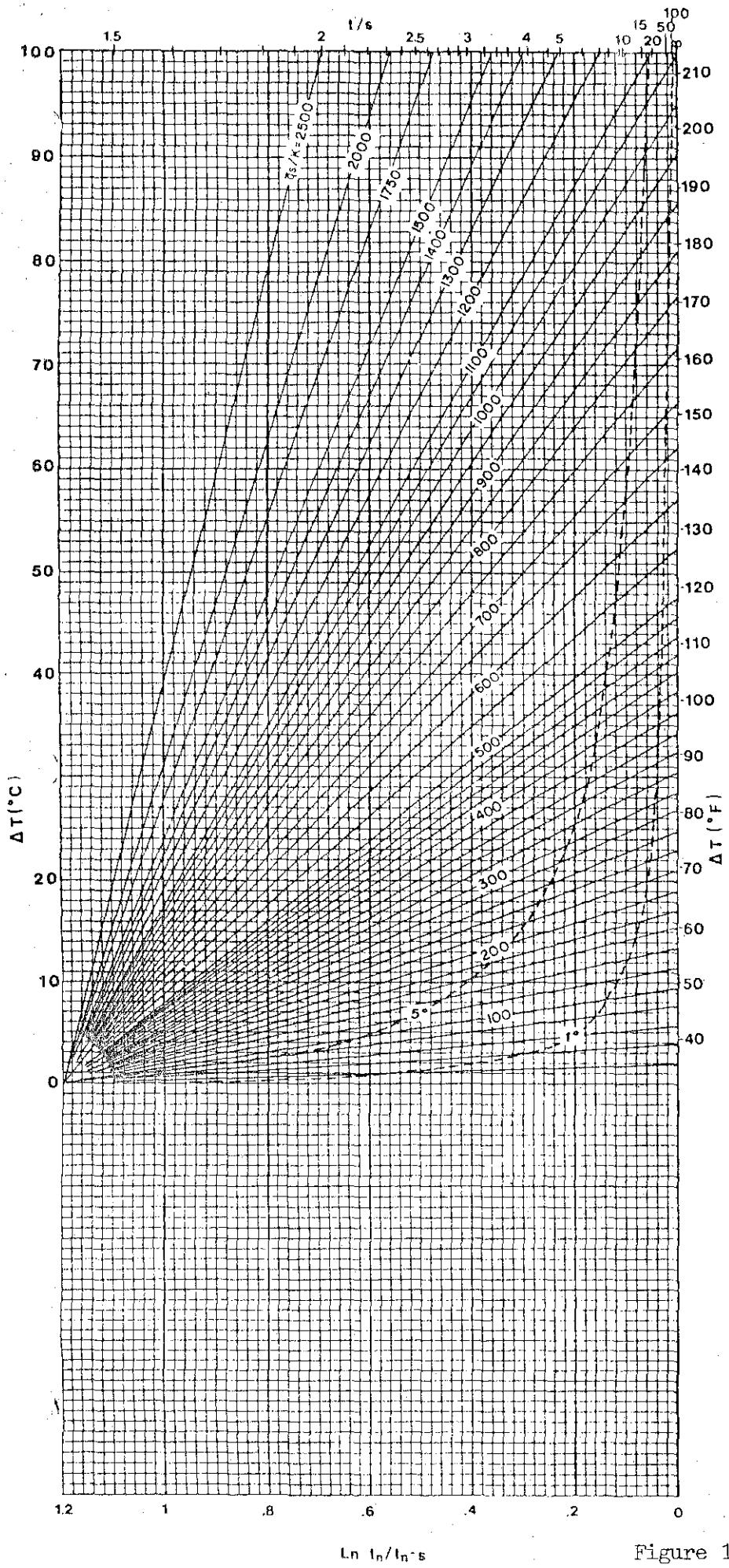


Figure 1

**Table XIV**  
**NATURAL LOGARITHMS OF NUMBERS—0.00 to 5.99**  
 (Base e = 2.718 · · ·)

**RECIPROCALS, CIRCUMFERENCES, AND AREAS OF CIRCLES**

<i>n</i>	1000/ <i>n</i>	Circum. of circle $\pi n$		Area of circle $\pi n^2/4$		<i>n</i>	1000/ <i>n</i>	Circum. of circle $\pi n$		Area of circle $\pi n^2/4$	
		636	172.5	2984.513	708 821.8			950	1.052 632	2984.513	708 821.8
900	1.111 111	2 827.433	636 172.5	637 567.0	710 314.9	951	1.051 525	2987.655	711 800.5	640 420.7	713 305.7
901	1.109 878	2 830.575	637 567.0	639 003.1	713 305.7	952	1.050 420	2990.796	714 803.4	641 839.9	716 302.8
902	1.108 647	2 833.717	639 003.1	953	1.049 318	2 993.938	716 302.8	642 420.7	954	1.048 218	2 997.079
903	1.107 420	2 836.858	640 420.7	955	1.047 120	3 000.221	717 803.7	641 839.9	956	1.046 025	3 003.363
904	1.106 195	2 840.000	641 839.9	957	1.044 932	3 006.504	718 803.7	958	1.043 841	3 009.646	720 810.2
905	1.104 972	2 843.141	643 260.7	959	1.042 753	3 012.787	722 815.8	644 683.1	960	1.041 667	3 015.999
906	1.103 753	2 846.283	644 683.1	961	1.040 583	3 019.071	723 822.9	645 525.5	962	1.039 501	3 022.212
907	1.102 536	2 849.425	646 107.0	963	1.038 422	3 025.354	724 835.9	646 107.0	964	1.037 344	3 028.495
908	1.101 322	2 852.566	647 532.5	965	1.036 269	3 031.637	725 831.7	648 959.6	966	1.035 197	3 034.779
909	1.100 110	2 855.708	649 118.5	967	1.034 126	3 037.920	726 842.0	650 388.2	968	1.033 058	3 041.062
910	1.098 901	2 858.849	650 388.2	969	1.031 992	3 044.203	727 857.4	651 818.4	970	1.030 928	3 047.345
911	1.097 685	2 861.991	651 818.4	971	1.029 866	3 050.486	728 871.1	652 654.4	972	1.028 807	3 053.628
912	1.096 491	2 865.133	653 250.2	973	1.027 749	3 056.770	729 884.4	653 250.2	974	1.026 694	3 059.911
913	1.095 290	2 868.274	654 683.6	975	1.025 641	3 063.053	730 897.1	655 118.5	976	1.024 590	3 066.194
914	1.094 092	2 871.416	656 118.5	977	1.023 541	3 069.336	731 910.4	657 555.0	978	1.022 495	3 072.478
915	1.092 896	2 874.557	657 555.0	979	1.021 450	3 075.619	732 923.7	658 993.0	980	1.020 408	3 078.761
916	1.091 703	2 877.699	658 993.0	981	1.019 358	3 081.902	733 937.3	660 206.9	982	1.018 330	3 085.044
917	1.090 513	2 880.840	660 432.7	983	1.017 274	3 086.221	734 952.9	661 873.9	984	1.016 260	3 091.327
918	1.089 325	2 883.982	661 873.9	985	1.015 228	3 094.469	735 966.5	662 450.1	986	1.014 199	3 097.610
919	1.088 139	2 887.124	663 316.7	987	1.013 171	3 100.752	736 981.1	664 761.0	988	1.012 146	3 103.894
920	1.086 957	2 890.265	664 761.0	989	1.011 122	3 107.035	737 995.8	665 680.5	990	1.010 101	3 110.177
921	1.085 776	2 893.407	666 206.9	991	1.009 082	3 113.318	738 100.5	667 554.4	992	1.008 065	3 116.460
922	1.084 599	2 896.548	667 554.4	993	1.007 049	3 119.602	739 114.2	668 154.7	994	1.006 036	3 122.743
923	1.083 424	2 899.690	669 103.5	995	1.005 025	3 125.885	740 127.5	670 502.1	996	1.004 016	3 129.026
924	1.082 251	2 902.832	670 554.1	997	1.003 009	3 132.168	741 141.1	672 001.7	998	1.002 004	3 135.309
925	1.081 081	2 905.973	672 006.3	999	1.001 001	3 138.451	742 154.4	673 215.7	999	1.001 001	3 141.730
926	1.079 914	2 909.115	673 460.1	999	1.001 001	3 145.000	743 685.3	674 685.3	999	1.001 001	3 147.278
927	1.078 749	2 912.256	674 915.4	999	1.001 001	3 150.500	744 915.4	675 220.8	999	1.001 001	3 153.000
928	1.077 586	2 915.398	676 372.3	999	1.001 001	3 156.000	745 575.8	676 372.3	999	1.001 001	3 158.500
929	1.076 426	2 918.540	677 830.8	999	1.001 001	3 161.500	746 819.1	678 830.8	999	1.001 001	3 165.000
930	1.075 269	2 921.681	679 290.9	999	1.001 001	3 167.000	747 862.4	680 290.9	999	1.001 001	3 170.500
931	1.074 114	2 924.823	680 752.5	999	1.001 001	3 173.500	748 906.6	681 752.5	999	1.001 001	3 177.000
932	1.072 961	2 927.964	682 215.7	999	1.001 001	3 180.000	749 950.8	683 215.7	999	1.001 001	3 183.500
933	1.071 811	2 931.106	683 680.5	999	1.001 001	3 186.500	750 995.0	684 146.8	999	1.001 001	3 190.000
934	1.070 664	2 934.248	685 146.8	999	1.001 001	3 193.000	751 040.2	686 519.7	999	1.001 001	3 196.500
935	1.069 519	2 937.389	686 614.7	999	1.001 001	3 199.500	752 563.8	687 563.8	999	1.001 001	3 203.000
936	1.068 376	2 940.531	688 084.2	999	1.001 001	3 206.000	753 882.1	689 084.2	999	1.001 001	3 209.500
937	1.067 236	2 943.672	689 555.2	999	1.001 001	3 212.500	754 441.1	690 555.2	999	1.001 001	3 216.000
938	1.066 098	2 946.814	691 027.9	999	1.001 001	3 219.000	755 259.7	692 027.9	999	1.001 001	3 222.500
939	1.064 963	2 949.956	692 502.1	999	1.001 001	3 225.500	756 001.7	693 502.1	999	1.001 001	3 229.000
940	1.063 830	2 953.097	693 977.8	999	1.001 001	3 232.000	757 768.7	694 977.8	999	1.001 001	3 235.500
941	1.062 699	2 956.239	695 455.2	999	1.001 001	3 238.500	758 441.1	696 455.2	999	1.001 001	3 242.000
942	1.061 571	2 959.380	696 934.1	999	1.001 001	3 245.000	759 259.7	697 934.1	999	1.001 001	3 248.500
943	1.060 445	2 962.522	698 414.5	999	1.001 001	3 251.500	760 001.7	699 414.5	999	1.001 001	3 255.000
944	1.059 322	2 965.663	699 896.6	999	1.001 001	3 258.000	761 768.7	700 896.6	999	1.001 001	3 261.500
945	1.058 201	2 968.805	701 380.2	999	1.001 001	3 264.500	762 563.8	702 380.2	999	1.001 001	3 268.000
946	1.057 082	2 971.947	702 855.4	999	1.001 001	3 271.000	763 828.8	703 855.4	999	1.001 001	3 274.500
947	1.055 966	2 975.088	704 352.1	999	1.001 001	3 277.500	764 803.4	705 352.1	999	1.001 001	3 282.000
948	1.054 852	2 978.230	705 840.5	999	1.001 001	3 284.000	765 782.2	706 840.5	999	1.001 001	3 287.500
949	1.053 741	2 981.371	707 330.4	999	1.001 001	3 290.500	766 762.2	708 330.4	999	1.001 001	3 295.000

<i>N</i>	0	1	2	3	4	5	6	7	8	9
0.0	5.395	6.088	6.493	6.781	7.004	7.187	7.341	7.474	7.592	
0.1	7.697	7.793	7.880	7.950	8.034	8.103	8.167	8.223	8.285	8.339
0.2	8.391	8.439	8.486	8.530	8.573	8.614	8.653	8.691	8.727	8.762
0.3	8.796	8.829	8.861	8.891	8.921	8.950	8.978	9.006	9.032	9.058
0.4	9.084	9.108	9.132	9.156	9.179	9.201	9.223	9.245	9.266	9.287
0.5	9.307	9.327	9.346	9.365	9.384	9.402	9.420	9.438	9.455	9.472
0.6	9.439	9.506	9.522	9.538	9.554	9.569	9.584	9.600	9.614	9.629
0.7	9.643	9.658	9.671	9.685	9.699	9.712	9.726	9.739	9.752	9.764
0.8	9.777	9.789	9.802	9.814	9.826	9.837	9.849	9.861	9.872	9.883
0.9	9.895	9.906	9.917	9.927	9.938	9.949	9.959	9.970	9.980	9.990
1.0	0.0000	0.095	0.1980	0.2956	0.3922	0.4879	0.5827	0.6766	0.7696	0.8618
1.1	0.953	*0436	*1333	*2222	*3103	*3976	*4842	*5700	*6551	*7395
1.2	1.023	9062	9885	*7071	*1511	*2314	*3111	*3902	*4856	*5646
1.3	1.026	7003	7763	8518	9267	0010	*0748	*1481	*2208	*2930
1.4	1.034	4359	5066	5767	6464	7156	7844	8526	9204	9878
1.5	1.040	5647	6211	6871	7518	8325	8944	9511	1008	1067
1.6	1.046	7000	7623	8243	8858	9470	0078	*0682	*1282	*1879
1.7	1.050	3063	3649	4232	4812	5389	5962	6531	7098	7661
1.8	1.054	7799	9333	9884	*0432	*0977	*1519	*2058	*2594	*3127
1.9	1.064	4185	4710	5233	5752	6269	6783	7294	7803	8310
2.0	1.074	9315	9813	*0310	*0804					

AMAX EXPLORATION, INC.  
Geothermal Group

TIME-TEMPERATURE OBSERVATION FORM

(For use with the Crosby method)

Date 10/23/78 Field NAPA

Well AMAX #1, Livermore Observer WMD - JD

State CA Analysis "

County NAPA Depth 7931'

Comments: Agnew & Sweet, 3 Kuster instruments,  
2 bimetallic gas (AMAX), Logged open hole 7000'  
to 7930' @ 20'/min. 3 hrs @ 7930',  
Log 7930' to 7000' @ 20'/min, Log 1 min @  
each 500' (7000' to 2500')

true time	t	event	temp. °C	temp. °F	$\frac{tn}{tn-s}$	$\ln \frac{tn}{tn-s}$
0144	$t_0$	0 bit arrival				
0644	s	5 circulation ceases				
1509	$t_1$	13.41 observation	241.65	1,594	.465	.466
1539	$t_2$	13.91 "	244.19	1,561	.445	.445
1609	$t_3$	14.41 "	245.43	1,531	.424	.426
1639	$t_4$	14.91 "	247.32	1,504	.408	.408
1709	$t_5$	15.41 "	249.04	1,480	.390	.392
1739	$t_6$	15.91 "	250.45	1,458	.368	.377
1744½	$t_7$	"	250.86	1,	,	,

These data taken by Kuster tool  
funded by AMAX (gas principle)

AMAX EXPLORATION, INC.  
Geothermal Group

TIME-TEMPERATURE OBSERVATION FORM

(For use with the Crosby method)

Date 10/23/78 Field \_\_\_\_\_  
 Well AMAX #1 Livermore Observer \_\_\_\_\_  
 State CA Analysis \_\_\_\_\_  
 County Napa Depth 7921'  
 Comments: 4+5 Bimetal Tool #1

true time	t	event	temp. °C	temp. °F	$\frac{tn}{tn-s}$	$\ln \frac{tn}{tn-s}$
00 3.0	$t_0$ 0	bit arrival				
06 44	s 6 + 24	circulation ceases				
14 47	$t_1$ 14.28	observation	240.6	1,776	.575	.574
15 17	$t_2$ 14.78	"	242.3	1,731	.550	.549
15 47	$t_3$ 15.28	"	243.8	1,690	.524	.525
16 17	$t_4$ 15.78	"	245.4	1,654	.502	.503
16 47	$t_5$ 16.28	"	246.4	1,622	.482	.484
17 17	$t_6$ 16.78	"	247.3	1,592	.465	.465
17 47	$t_7$ 17.28	"	248.2	1,565	.448	.448

AMAX EXPLORATION, INC.  
Geothermal Group

TIME-TEMPERATURE OBSERVATION FORM

(For use with the Crosby method)

Date 10/23/78

Field \_\_\_\_\_

Well AMAX #1, Livermore

Observer \_\_\_\_\_

State CA

Analysis \_\_\_\_\_

County NAPA

Depth 7926'

Comments: AT&T Binetta 1 401 #2

true time	t	event	temp. °C	temp. °F	$\frac{tn}{tn-s}$	$\ln \frac{tn}{tn-s}$
0105	$t_0$ 0	bit arrival				
0644	s 5.65	circulation ceases				
1447	$t_1$ 13.7	observation	233.3	1,702	.531	.532
15117	$t_2$ 14.2	"	238.6	1,661	.506	.507
1547	$t_3$ 14.7	"	239.6	1,624	.484	.485
1617	$t_4$ 15.2	"	240.3	1,592	.466	.465
1647	$t_5$ 15.7	"	241.5	1,562	.446	.446
1717	$t_6$ 16.2	"	242.4	1,536	.428	.429
1747	$t_7$ 16.7	"	243.0	1,511	.413	.413

0930

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270

26

250

240

230

AMAT #1 - 1120 m.s.s.  
April 15, 1938 Survey  
1723 1738  
1938

• 100 •

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**10 X 10 TO 1/4 INCH** 46 1322  
7 X 10 INCHES  
**GEPPERT & SIESSER CO.**

A graph on grid paper showing a bell-shaped curve. The x-axis is labeled with values 0.5, 0.4, 0.3, 0.2, and 0.1 from left to right. The y-axis has labels 12/8/78, 10/12/78, and 10/16/78 at the top. Arrows point to specific points on the curve at x=0.3, x=0.2, and x=0.1.